

Calculating Prevalences and Incidences

1. $Prevalence = \frac{\text{no. of cases}}{\text{population size}}$
 - a. Prevalence can be measured in an closed cohort or in an open population.
 - b. Prevalence in cross-sectional.
 - c. “Old” cases and “new” cases are counted in the numerator.
 - d. Can be measured at a particular point (point prevalence) or over a period (period prevalence). Normally, when we say prevalence we mean “point prevalence.”

2. $Incidence\ proportion = Cumulative\ Incidence = Risk = \frac{\text{no. of disease onsets}}{\text{no. initially at risk}}$
 - a. Incidence proportion can only be measured in a closed cohort.
 - b. Only new onsets are considered.
 - c. The time of follow-up must be specified (e.g., 5-year risk of breast cancer vs. lifetime risk of breast cancer).

3. $Incidence\ rate = Incidence\ density = \frac{\text{no. of disease onsets}}{\text{Sum of person - time @ risk}}$
 - a. Incidence rates (density) can be measured in a closed cohort or in an open population.
 - b. Its numerator is the same as incidence proportion, but its denominator is different.
 - c. Methods of calculating the “person-time” denominator.
 - i. In a *closed cohort*
 - (1) Count person-time for each individual in the cohort and sum (e.g., see text Fig 6.2, p. 100 for an example).
 - (2) Break cohort into those who remain healthy (Group 1) and those who develop disease (Group 2).
Let Δt period of follow-up.
 - (a) Persons who remain healthy, person-time, $T_1 = (N_1)(\Delta t)$.
 - (b) Person who develop disease, person-time, $T_2 = (N_2) \times (\frac{1}{2}\Delta t)$.
 - (c) Sum of person-time = $T_1 + T_2$
 - (d) See Exercise 2 on p. 103 for illustration.
 - (3) (Average population size) \times (duration of follow-up)
 - ii. In an *open population* (e.g., using vital statistics systems): The person-time is approximately equal to $(\bar{N})(\Delta t)$, where \bar{N} is average population size and Δt is the duration of study. For example, a population with an average size of 1000 studied for 1 year accounts for 1000 person-years. In contrast, a population with an average size of 1000 studied for 2 years accounts for $(1000)(2) = 2000$ person-years.